

Utility Function (Trade-off Method)

Wakker and Daneffe 1996

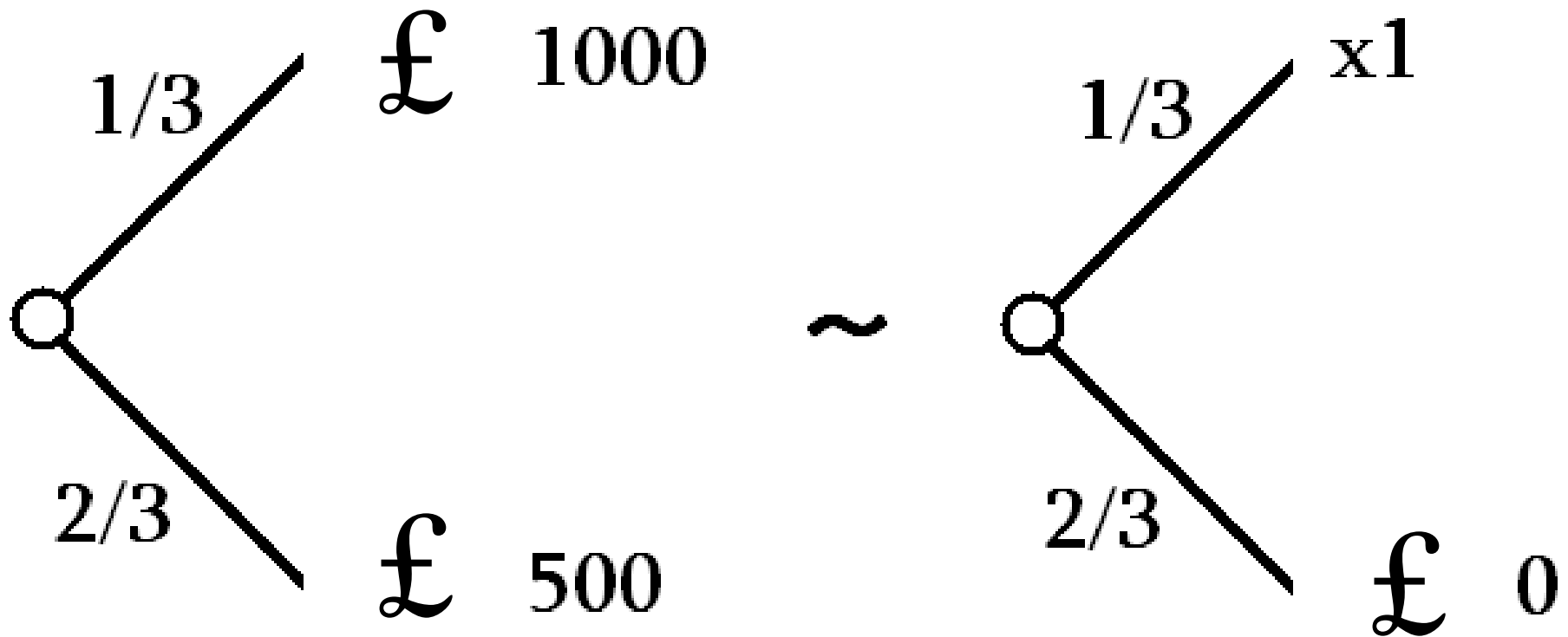
- Elicit utility functions
- Using trade-off method

This is
Peter
Wakker

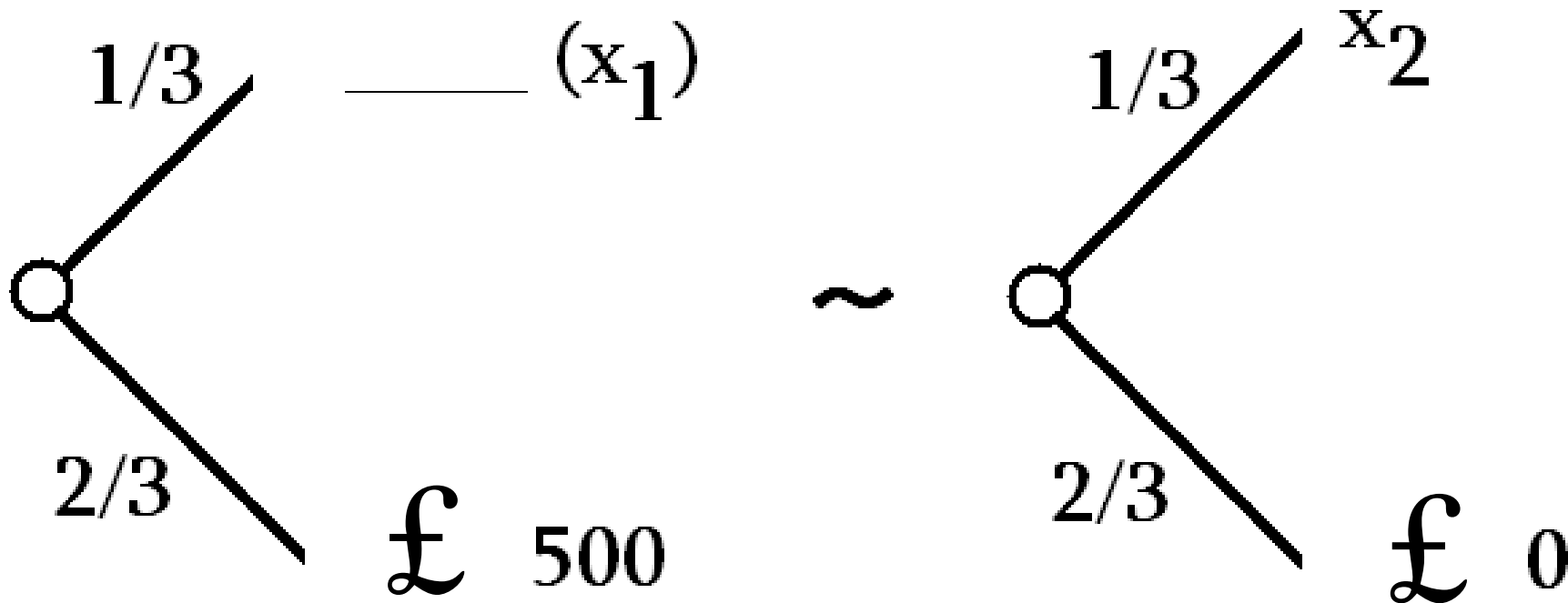


This is NOT
Daneffe, this is
Mark Machina

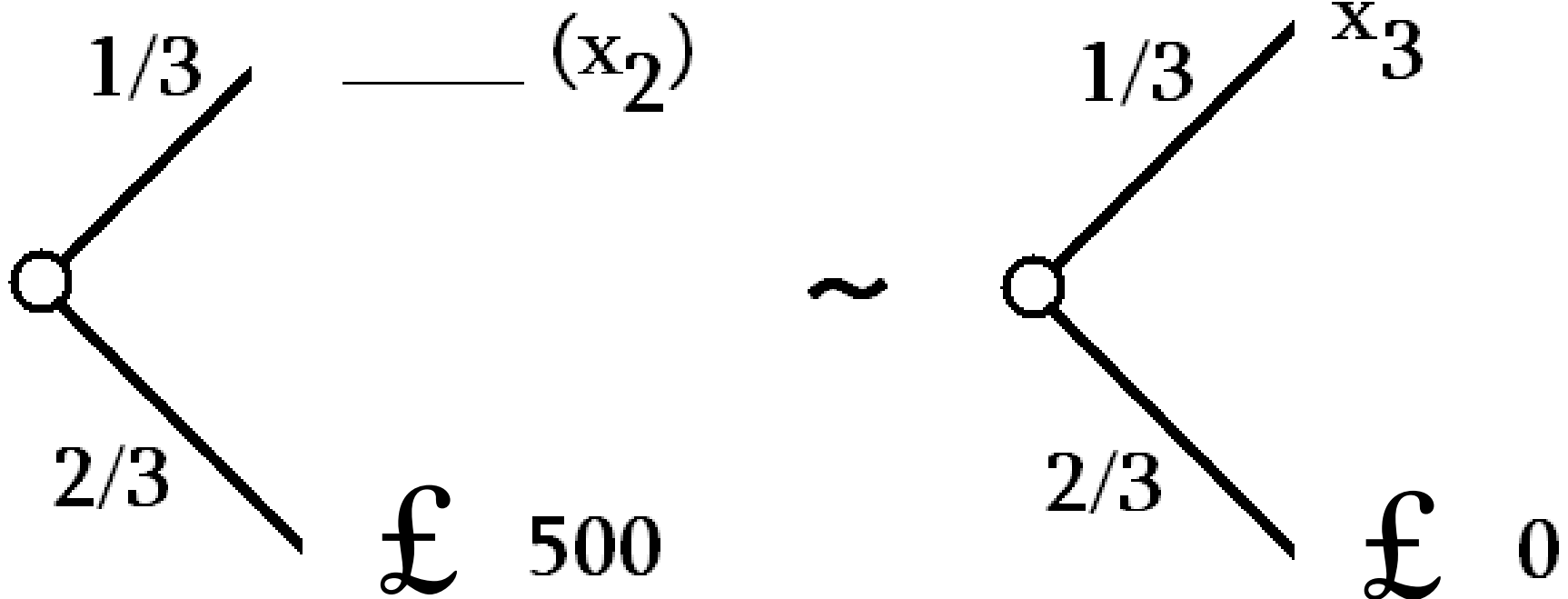
What amount x_1 makes you exactly indifferent between these two lotteries?



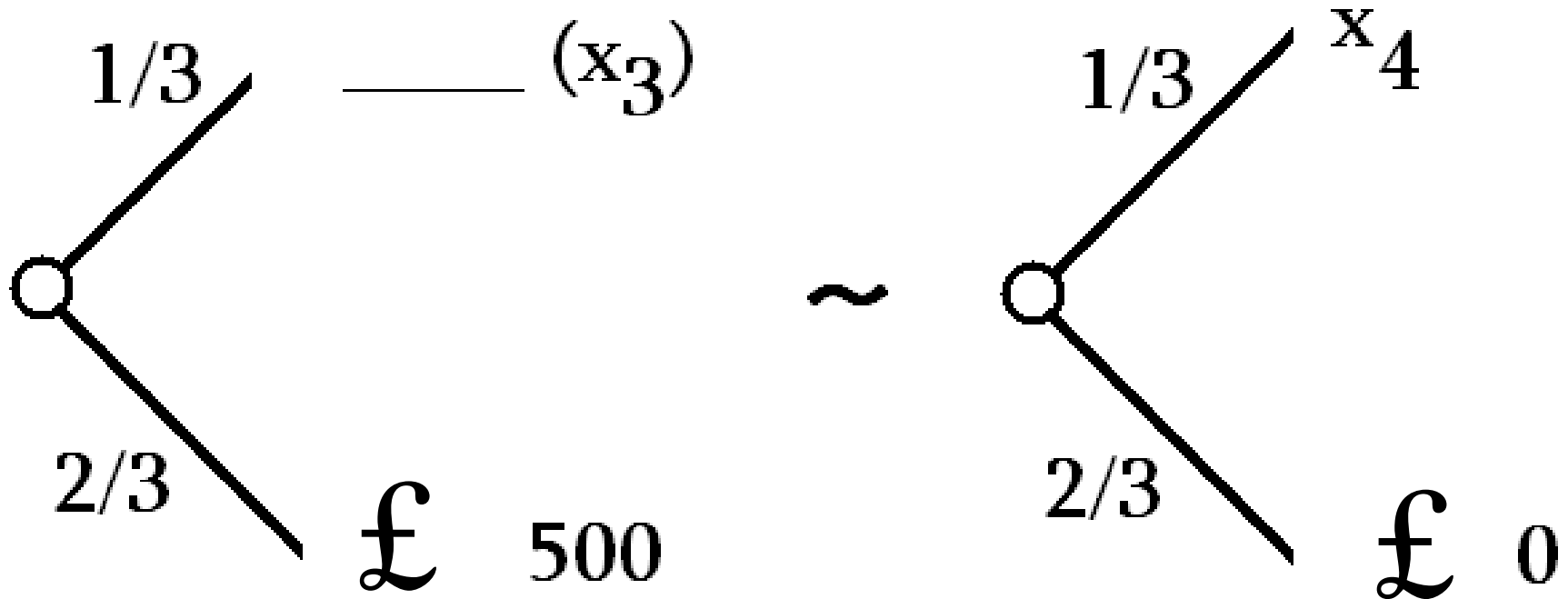
1. Fill in amount x_1 that you obtained on the previous slide
2. What amount x_2 makes you exactly indifferent between two lotteries?



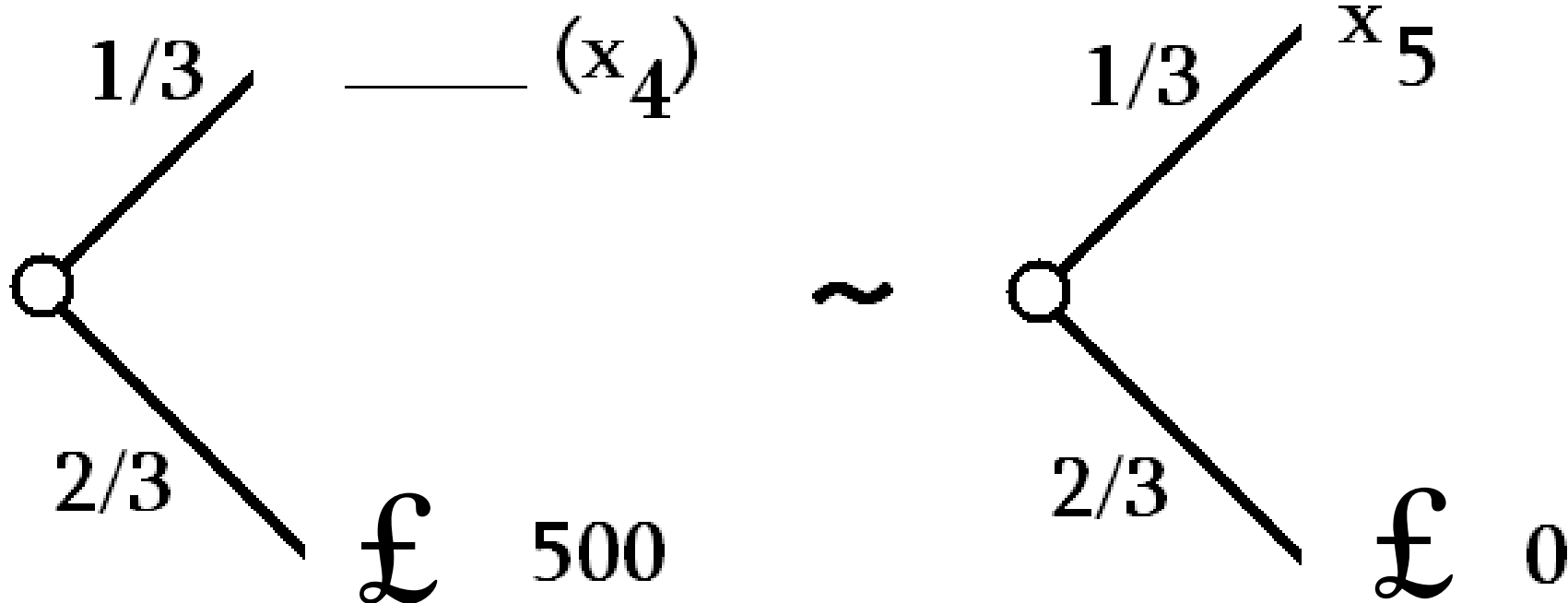
1. Fill in amount x_2 that you obtained on the previous slide
2. What amount x_3 makes you exactly indifferent between two lotteries?



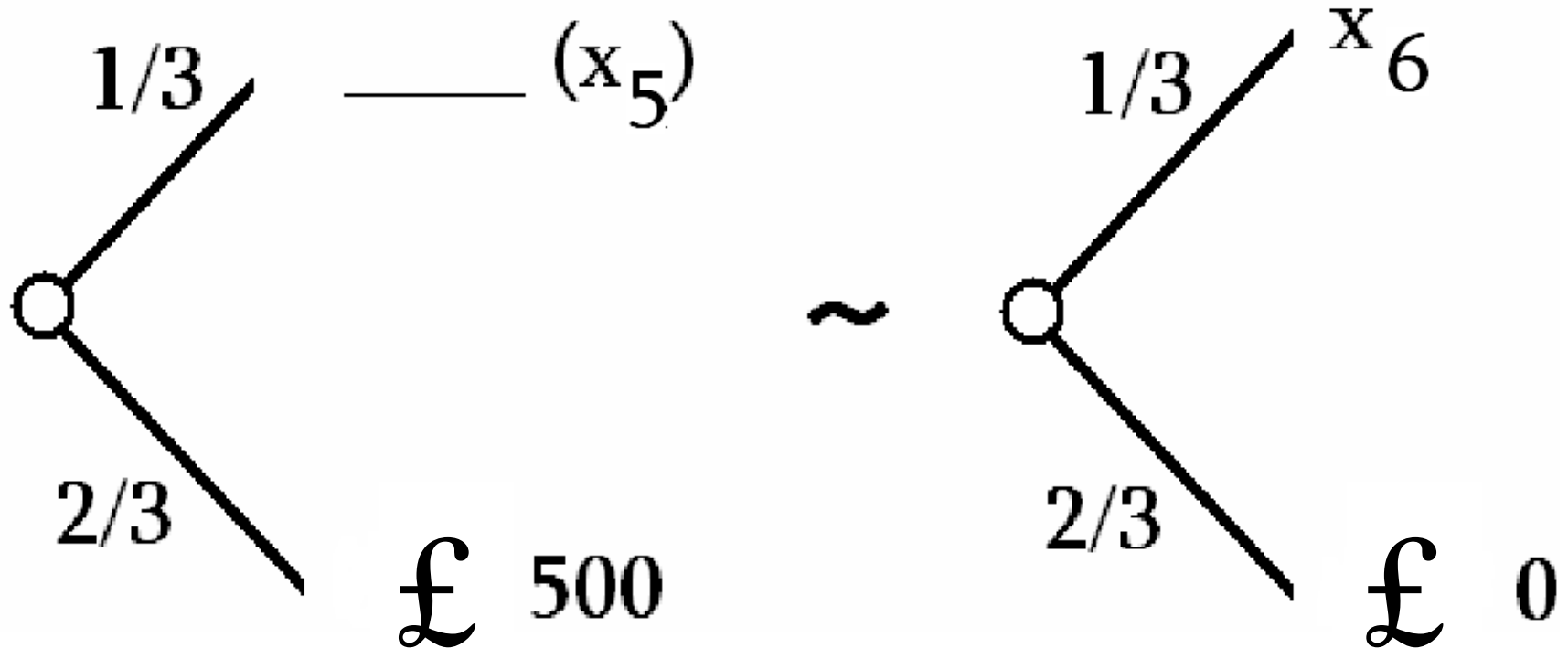
1. Fill in amount x_3 that you obtained on the previous slide
2. What amount x_4 makes you exactly indifferent between two lotteries?



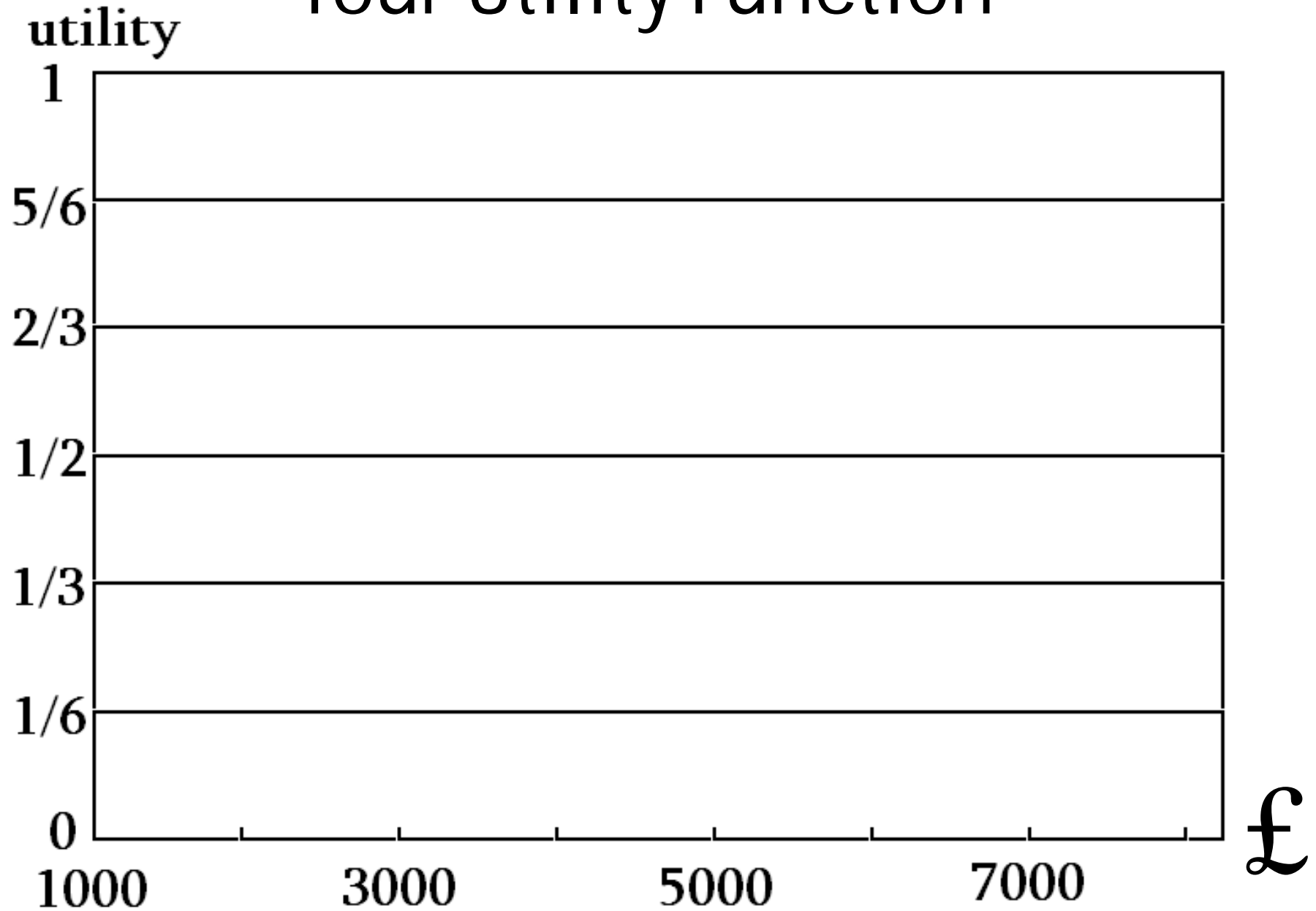
1. Fill in amount x_4 that you obtained on the previous slide
2. What amount x_5 makes you exactly indifferent between two lotteries?



1. Fill in amount x_5 that you obtained on the previous slide
2. What amount x_6 makes you exactly indifferent between two lotteries?



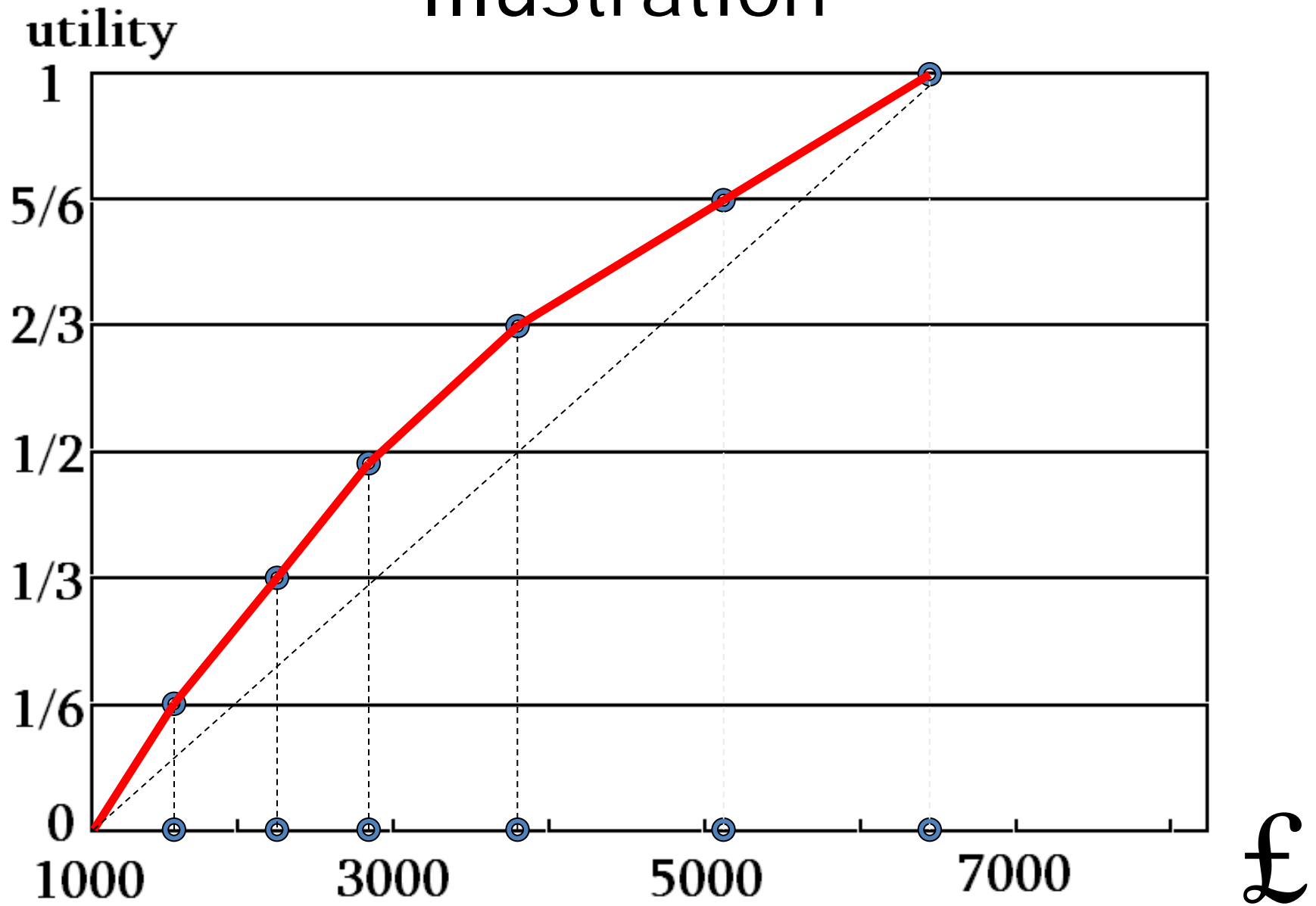
Your Utility Function



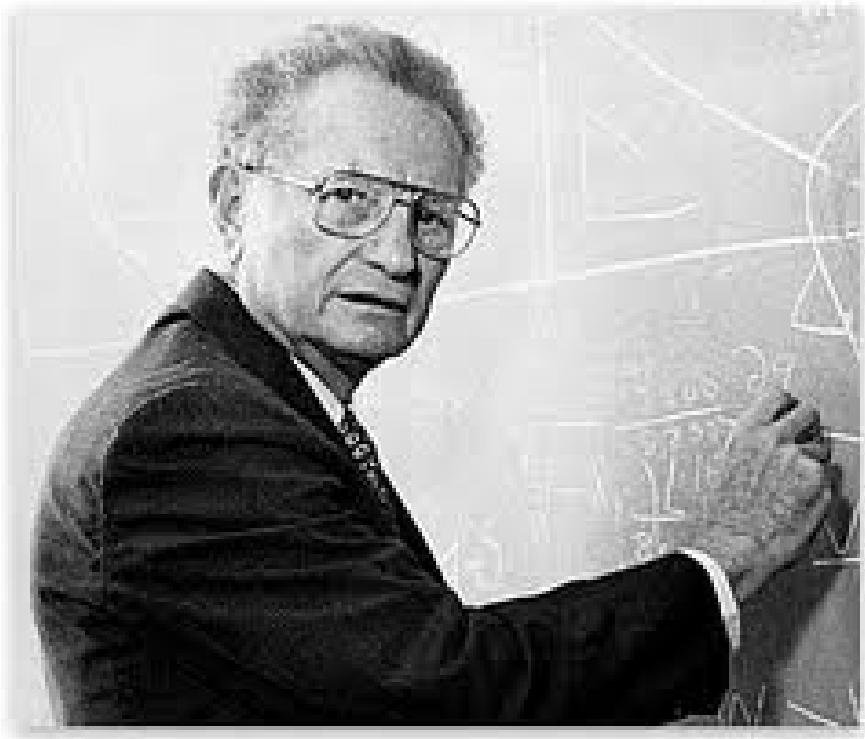
Instructions

- Locate amounts x_1, x_2, x_3, x_4, x_5 and x_6 on the horizontal axis (approximately)
- Connect together points $(1000,0)$ and $(x_1,1/6)$
- Connect together points $(x_1,1/6)$ and $(x_2,1/3)$
- Connect together points $(x_2,1/3)$ and $(x_3,1/2)$
- Connect together points $(x_3,1/2)$ and $(x_4,2/3)$
- Connect together points $(x_4,2/3)$ and $(x_5,5/6)$
- Connect together points $(x_5,5/6)$ and $(x_6,1)$
- This is the graph of your utility function

Illustration



Marshak-Machina Triangle



Jacob Marschak

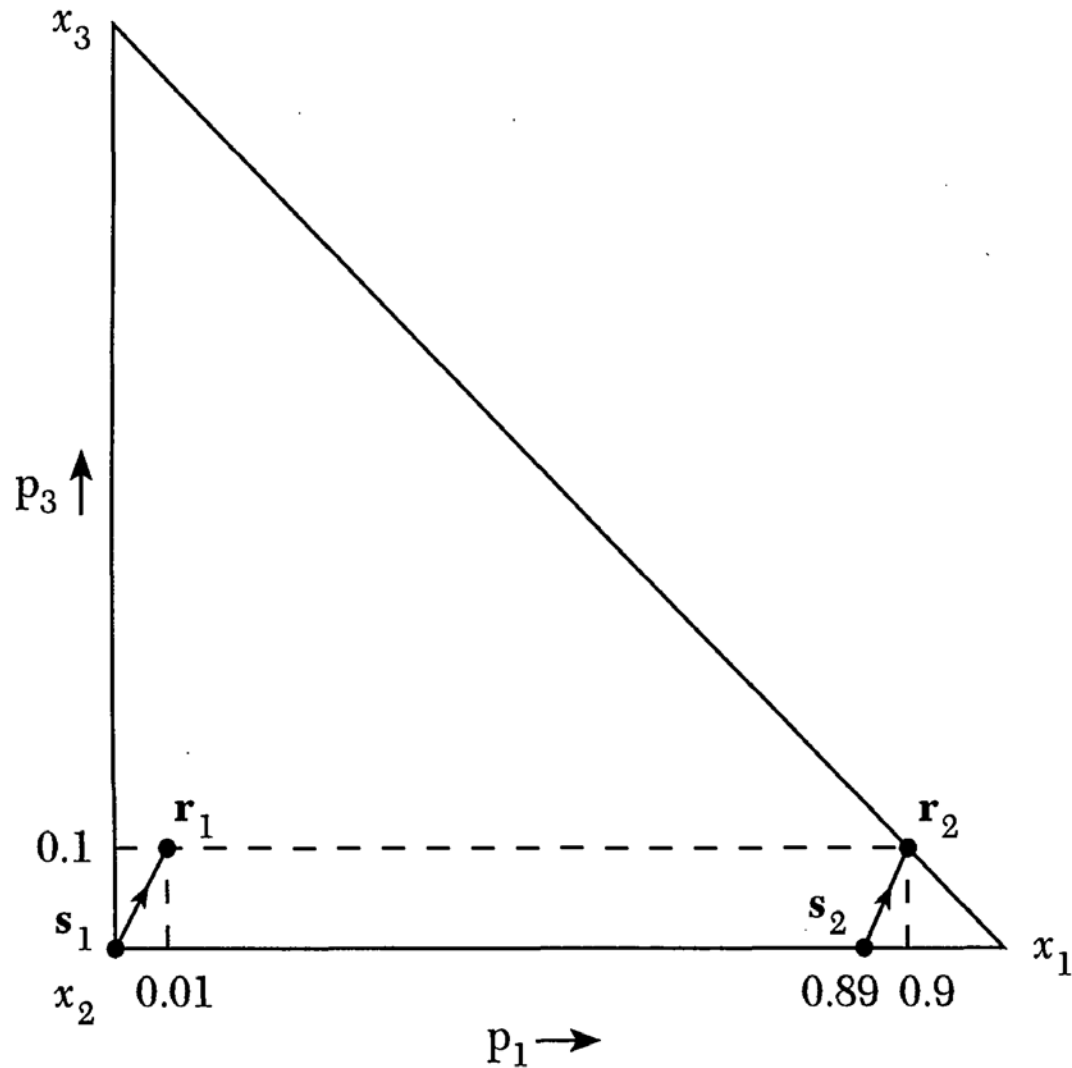


Mark Machina

Allais Paradox



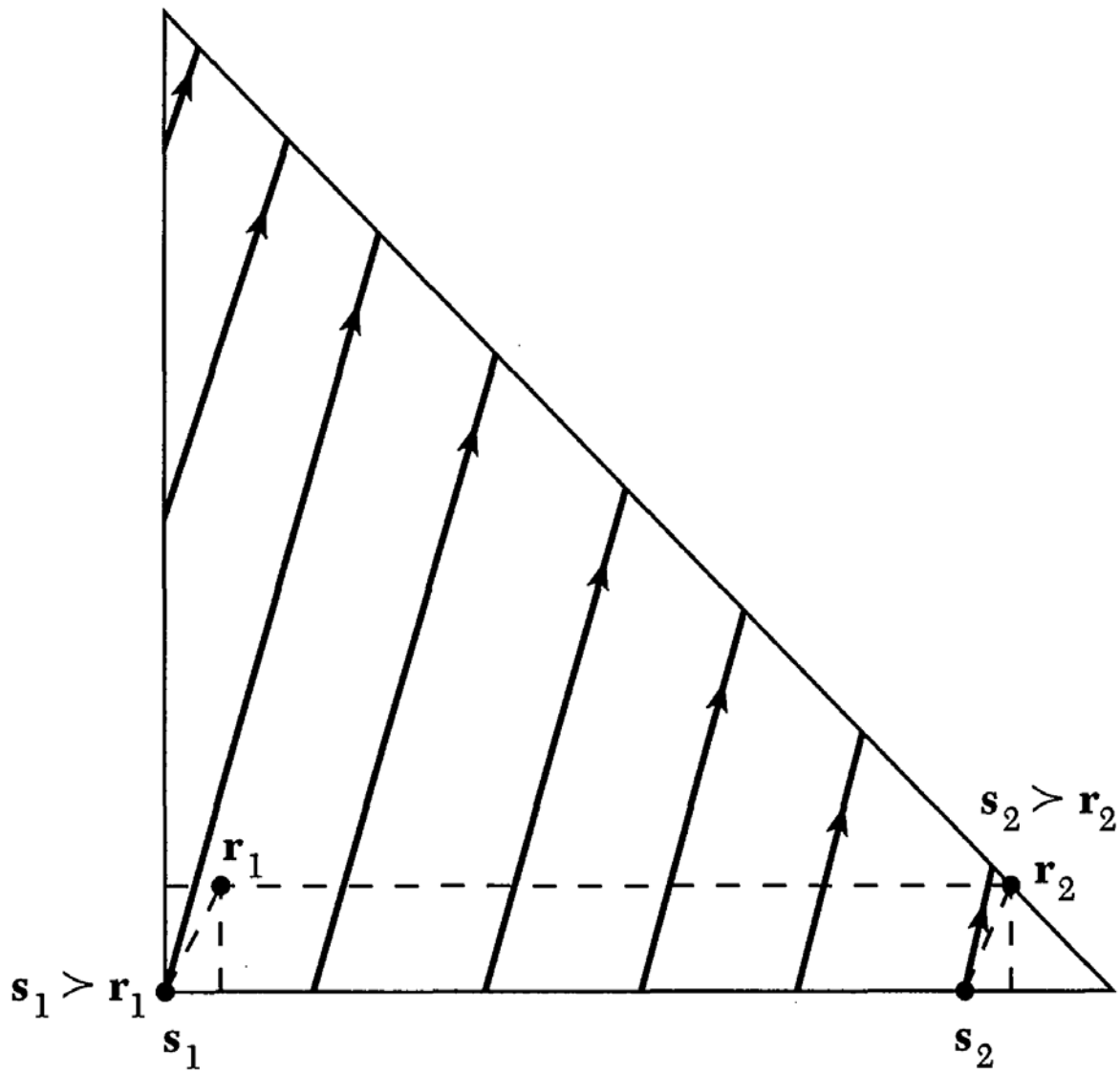
Maurice Allais



$[x_1 = 0, x_2 = \$1m, x_3 = \$5m]$

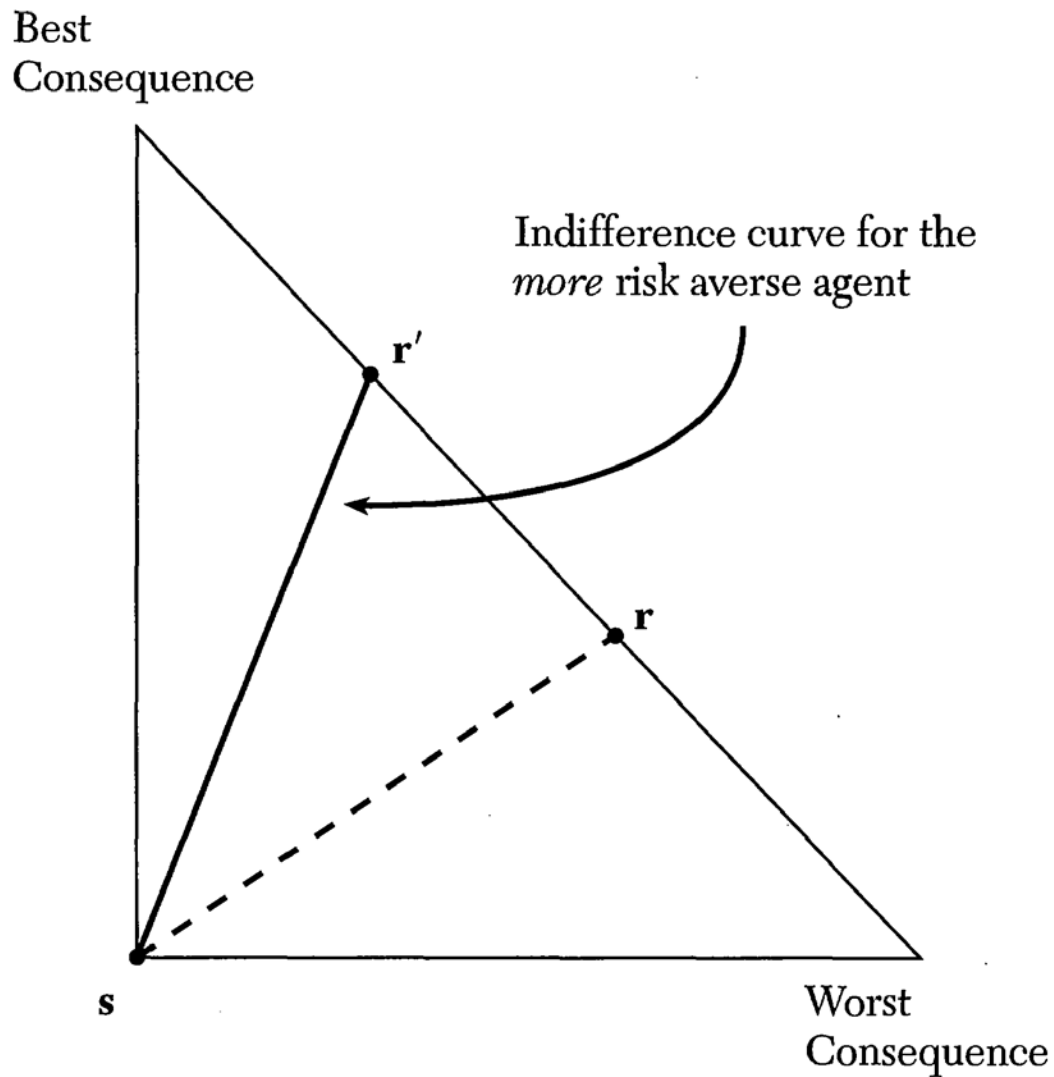
Allais Paradox

from Starmer 2000



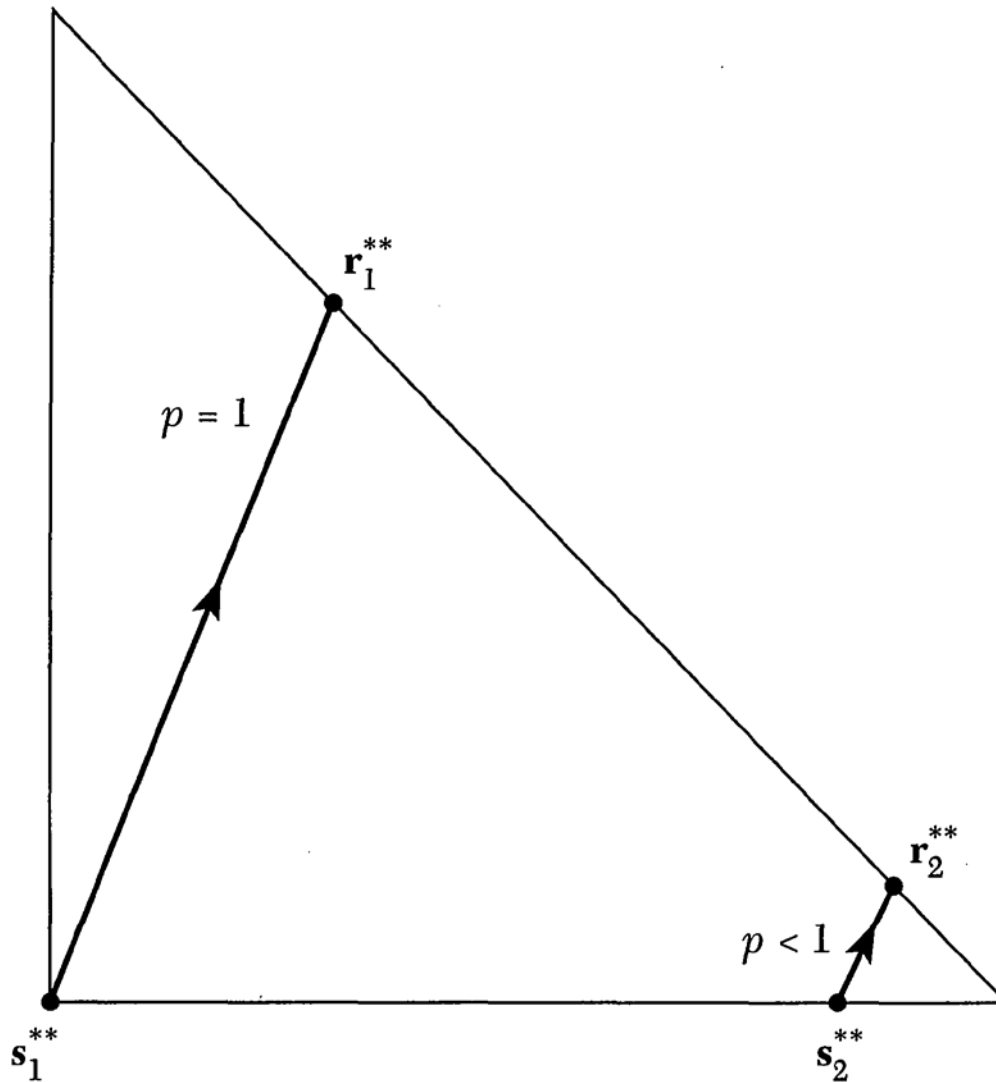
Expected Utility Indifference Curves

from Starmer 2000



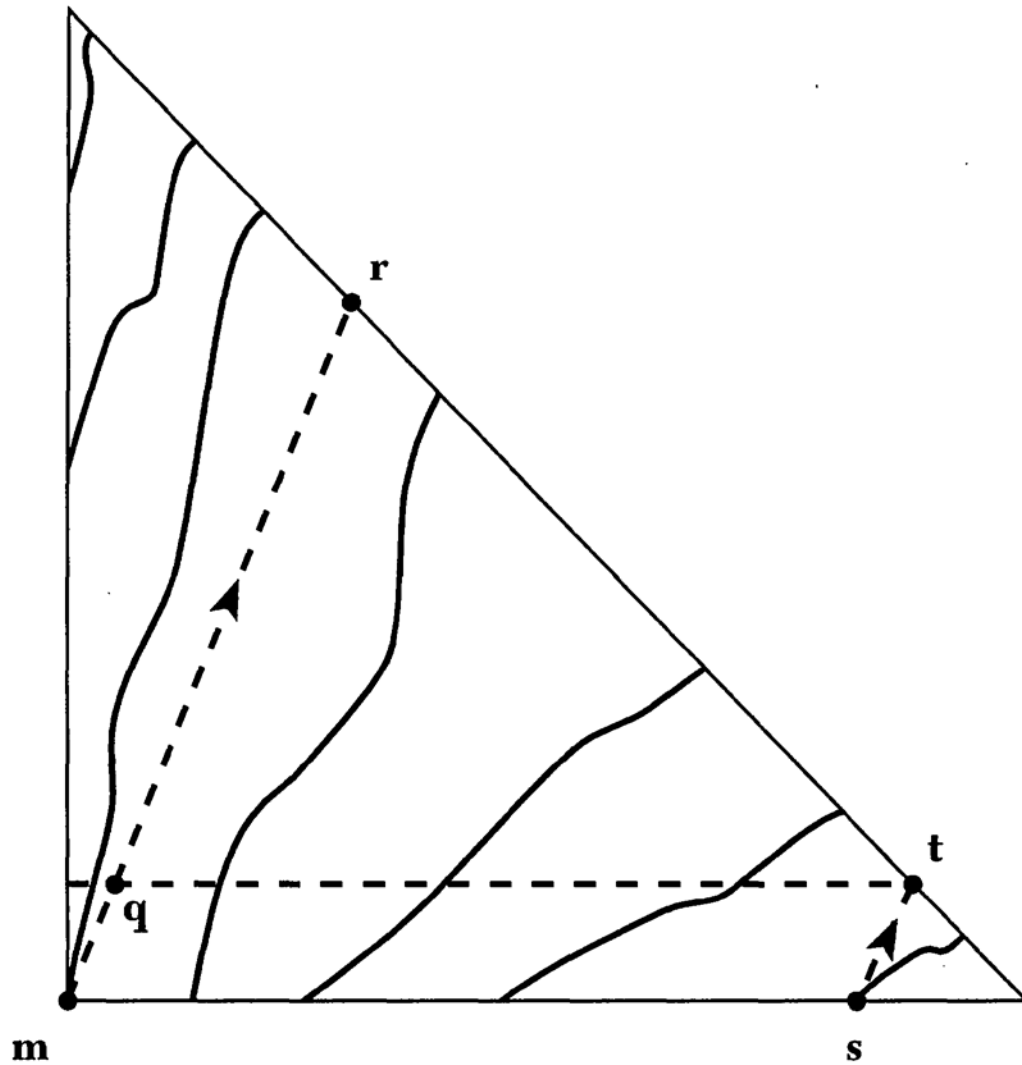
Degrees of Risk Aversion

from Starmer 2000



Common Ratio Prospects

from Starmer 2000



Fanning-out Hypothesis

from Starmer 2000

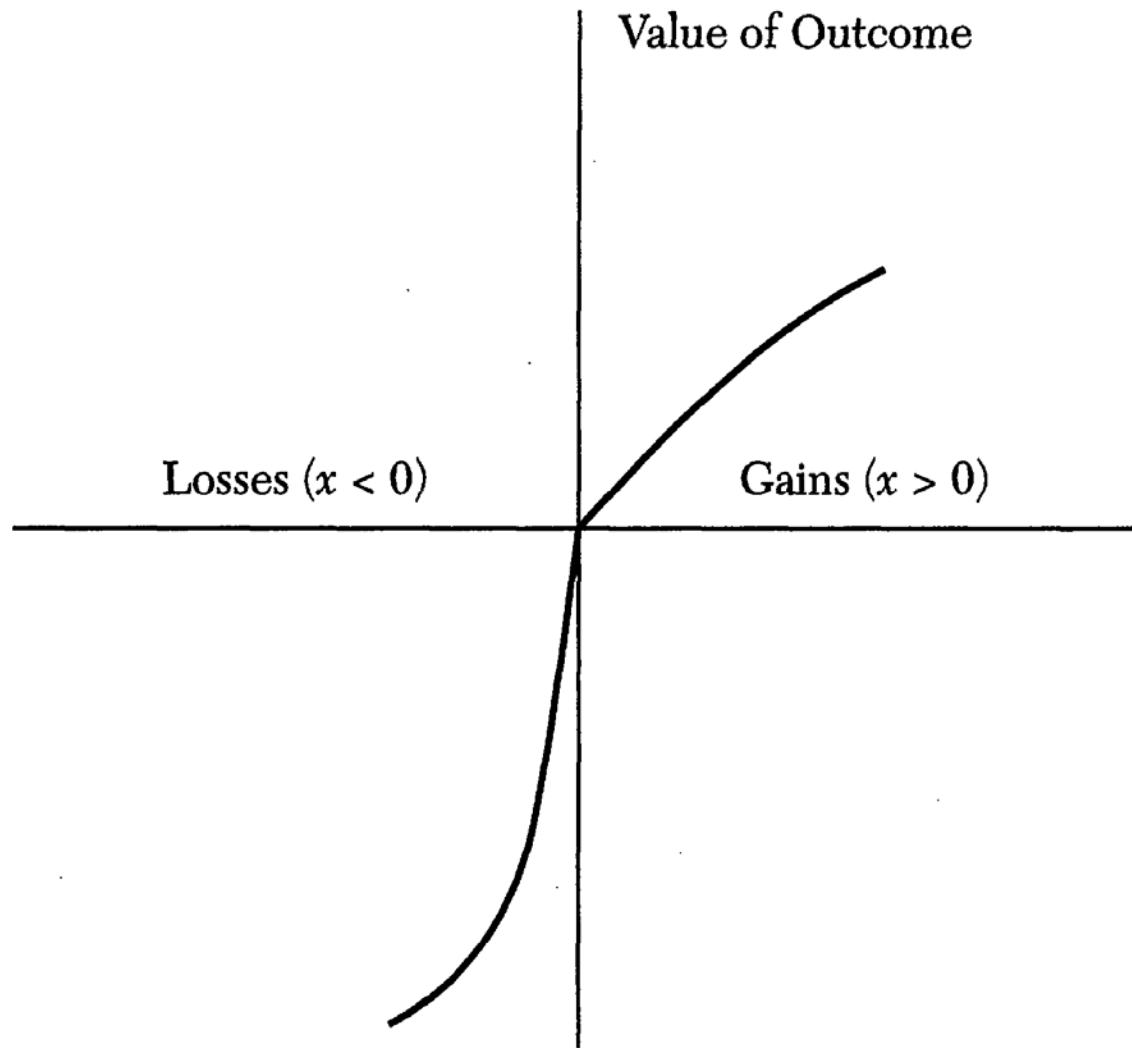
Cumulative Prospect Theory



Amos Tversky



Daniel Kahneman



Cumulative Prospect Theory

from Starmer 2000

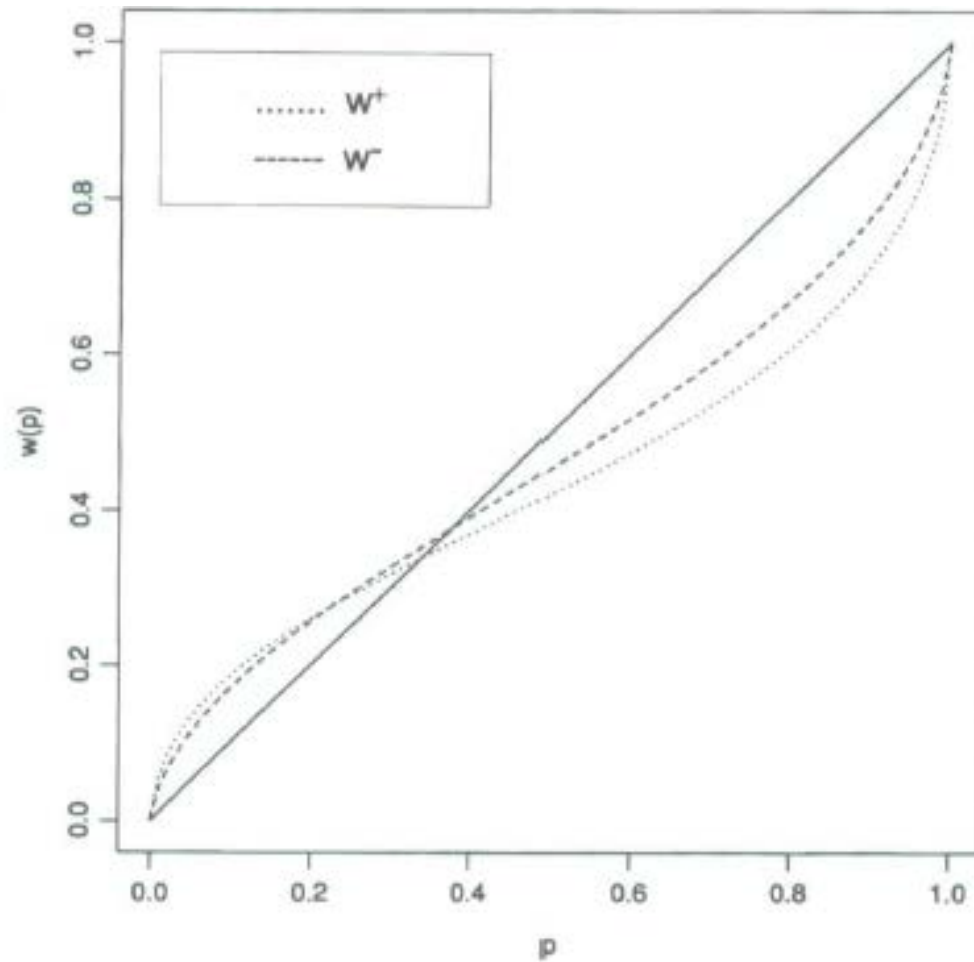


Figure 3. Weighting functions for gains (w^+) and for losses (w^-) based on median estimates of γ and δ in equation (12).

Cummulative Prospect Theory

from Tversky & Kahneman, 1992

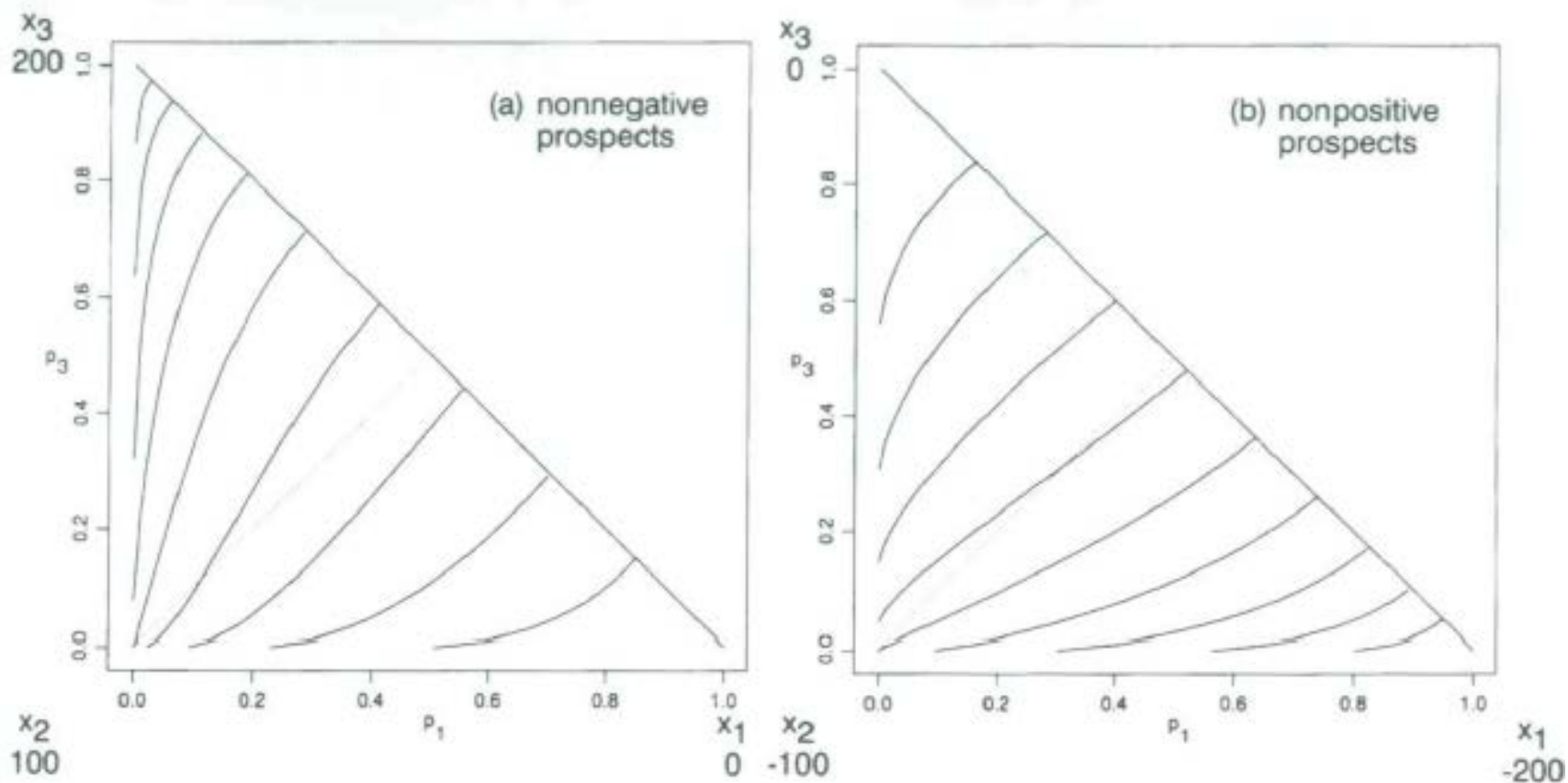


Figure 4. Indifference curves of cumulative prospect theory (a) for nonnegative prospects ($x_1 = 0, x_2 = 100, x_3 = 200$), and (b) for nonpositive prospects ($x_1 = -200, x_2 = -100, x_3 = 0$). The curves are based on the respective weighting functions of figure 3, ($\gamma = .61, \delta = .69$) and on the median estimates of the exponents of the value function ($\alpha = \beta = .88$). The broken line through the origin represents the prospects whose expected value is x_2 .

Cumulative Prospect Theory

from Tversky & Kahneman, 1992